

crossover curved space coordinates: how to fall to surface acceleration curve of ( $M_1$ ). Crossovers ( $ABC$ ) working Sir Isaac Newton's displacement(2) radius will get us there.

$$(A): \text{ (Galileo's 1st second tile, rest energy discovery(a)). } \quad \left(1, \frac{t^0}{-2} + \frac{\text{displacement}(2)}{2}\right) \xrightarrow{\text{yields}} \left(1, \frac{1}{2}\right)$$

$$(B): \left(\sqrt[2]{\text{displacement}}, \text{rest energy discovery(a)}\right). \quad \left(\sqrt[2]{2}, \frac{1}{2}\right)$$

$$(C): \left(\sqrt{\text{displ}}, \left(t^1 / -2 + (\text{displ} / 2) / .t \rightarrow \sqrt{\text{displ}}\right)\right) \xrightarrow{\text{yields}} \left(t^1 / -2 + (2 / 2) / .t \rightarrow \sqrt{2}\right) \xrightarrow{\text{yields}} \left(\sqrt{2}, \left(1 - \frac{1}{\sqrt{2}}\right)\right).$$

# Readings From the Sand Box

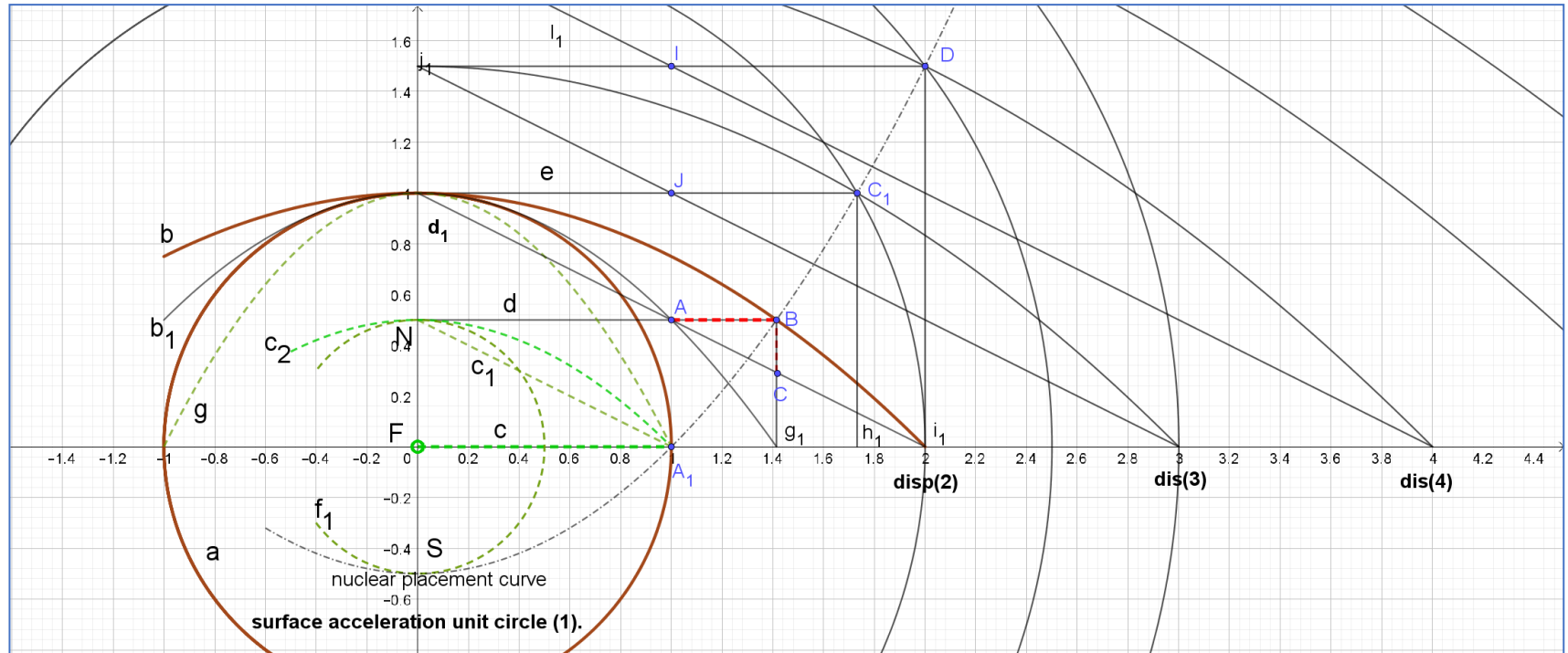


Figure 1: Sir Isaac Newton Classic Big is black lines and curves. Thermodynamic Quantum Small green lines and curves