Readings...

Things (blog, protium crvspsqsp)

The MAA August experience in Philadelphia, becomes more exciting every day. Just gotta' post something before the end of year. Something significant.

Index solution curves provide a way to 'fall' through/across displacement energy curves of the gravity field. Displacement integers on the central force domain are average energy/diameters of an (M_1M_2) CSDA system.

I will talk a fall path with my next construction. From outer to inner.

Gfield fall curves presuppose a catastrophic event. I like one monster asteroid vaporizing the Pacific sending our world spiraling outta' whatever.

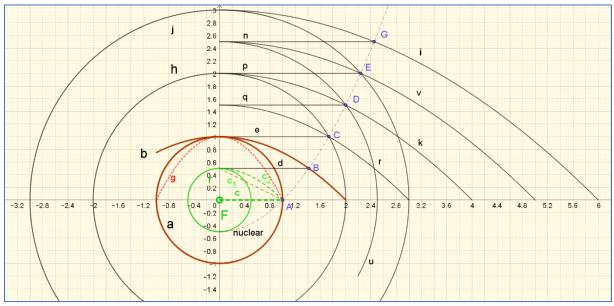


Figure 1: Fall paths of Gfield average orbit diameter/energy, outer to inner

Start at displacement space (6). Follow period time curve to (*G*):

 $\left(\sqrt[2]{displcurve(6)}, (reste dicovery(3))\right)$

Rest energy of discovery(3), (n), links displacement curve(6) with spin axis of (M_1) . Here we find discover(2.5) and its displacement curve(v) at integer(5). Capture parameters are not quite right for this Gfield curve in space, and we keep on spiraling past integer(5)

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Follow period time curve of displacement(5) to (E).

 $\left(\sqrt[2]{displ(5)}, (reste \ dicov(2.5))\right)$

Rest energy of discovery(2.5), (p), links displacement curve(5) with spin axis of (M_1) . Here we find discover(2) and its displacement curve(k) at integer(4). Parameters are not quite right, and we keep on spiraling past integer(4).

Follow period time curve of displacement(4) to (D).

$$\left(\sqrt[2]{displ(4)}, (reste \ dicov(2))\right)$$

Rest energy of discovery(2), (q), links displacement curve(4) with spin axis of (M_1) . Here we find discover(1.5) and its displacement curve(r) at integer(3). Parameters are not quite right and we keep on spiraling past integer(3).

Follow period time curve of displacement(3) to (C).

 $\left(\sqrt[2]{displ(3)}, (reste \ dicov(1.5))\right)$

Rest energy of discovery(1.5), (e), links displacement curve(3) with spin axis of (M_1) . Here we find discovery(1.0) and its displacement, curve(b), at integer(2). Displacement integer(2), curve(b) and (a), happen to be my basic analytical machine for curved space energy happenings. I consider this the surface acceleration curve of (M_1) , a place studied by Galileo a few centuries back. Happenings for Uniform Accelerations as opposed to central force orbit curves.

Curve (a) is the system independent/discovery curve. It also serves as border separation of our two infinities. Macro-space and micro-space.

Solution curves can work on central force unity curves (r = 1). Crossing the border of our infinities, things become...???

Need rest my head a bit. To be continued.

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All parametric solution curves are performed on displacement.

$$\begin{pmatrix} displacement^{\frac{1}{0}} \end{pmatrix} \xrightarrow{yields} \begin{pmatrix} t, \frac{t^{0}}{-2} + \frac{displacement}{2} \\ \begin{pmatrix} \frac{t^{0}}{-2} + \frac{(2)}{2} / . \operatorname{disp} \to \sqrt{2} \end{pmatrix} \xrightarrow{yields} \frac{1}{2}$$

$$\begin{pmatrix} displacement^{\frac{1}{1}} \end{pmatrix} \xrightarrow{yields} \begin{pmatrix} t, \frac{t^{1}}{-2} + \frac{displacement}{2} \\ \begin{pmatrix} \frac{t^{1}}{-2} + \frac{(2)}{2} / . t \rightarrow \sqrt{2} \xrightarrow{yields} 1 - \frac{1}{\sqrt{2}} \end{pmatrix}$$

$$\left(displacement^{\frac{1}{2}}\right) \xrightarrow{yields} \left(t, \frac{t^2}{-2} + \frac{displacement}{2}\right)$$

ParametricPlot[{{1Cos[t],1Sin[t]}, {t,
$$\frac{t^2}{-4(1)}$$
 + 1}, {t, $\frac{t^0}{-2}$ + $\frac{(2)}{2}$ }, {t, $\frac{t^1}{-2}$ + $\frac{(2)}{2}$ }, {t, $\frac{t^1}{-2}$ + $\frac{(2)}{2}$ }, {t, $\frac{t^2}{-2}$ + $\frac{(2)}{2}$ }, {t, $-2,3$ }, PlotRange-> {{-2,3}, {-1,2}}, AxesOrigin-> {0,0}]

